

Storing a set:

```
char set1[120], set2[120];
```

```
int set1Length, set2Length;
```

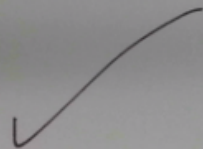
```
int isMember(set  
             char *set, int setLength, char c)
```

```
// return 1 if c is in set, otherwise return 0.
```

```
// Loop for i = 0 to setLength - 1  
// if set[i] == c, return 1
```

```
// not found
```

```
return 0
```



Storing a set:

```
char set1[1000], set2[1000];
```

```
int set1Length, set2Length;
```

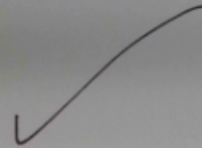
```
int isMember(set  
             char *set, int setLength, char c)
```

```
// return 1 if c is in set, otherwise return 0.
```

```
// Loop for i = 0 to setLength - 1  
    if set[i] == c, return 1
```

```
// not found
```

```
return 0
```



```
void Union (S1, L1, S2, L2, S3, L3)
```

```
//  $S_1 \cup S_2 \rightarrow S_3$   
// set L3 = 0 (S = S3 = {})
```

```
for (i=0; i < L1; i++)
```

```
    add S1[i] to S3
```

```
for (i=0; i < L2; i++)
```

```
    if (isMember(S3, L3, S2[i]) == 0)
```

```
        add S2[i] to S3
```

Your program should prompt the user for the elements of the first set (called A): the user enters the elements, followed by *< ENTER >*. Do the same for the second set (B). Then print the following information:

- The elements of A in the usual format: $\{e_1, e_2, \dots, e_n\}$
- The elements of B
- The cardinality of A and B
- $A \cup B$
- $A \cap B$
- $A \setminus B$

2 Details

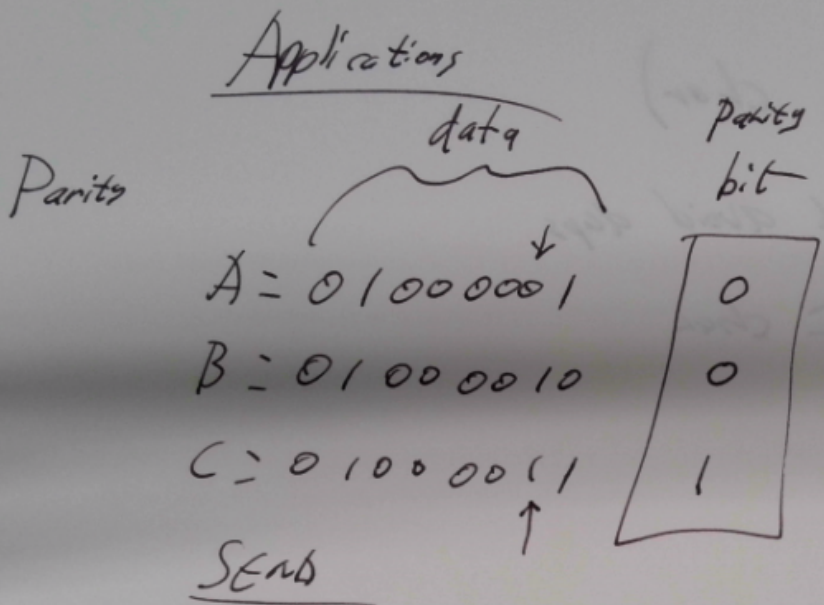
- You should prompt the user for their two input strings.
- Remember, a set cannot contain more than one copy of an element. **If the user enters an element twice, it should only appear in the**

add (Set, length, char)

// ~~the~~ caller must avoid dups

Set (length) = char

length = length + 1



- SEND
- Add up all 8 bits
 - calculate value (mod 2)
 - ~~add~~ that value as a 9th bit.

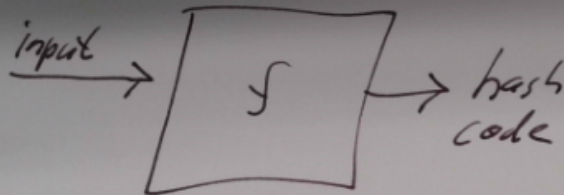
- RCV
- add all 9 bits
 - calculate mod 2
 - if = 0, GOOD
 - if = 1, BAD

Send A 01000001 0

DRAM with ECC

Error checking & correcting

Hash function



Fingerprinting

UPC

11 digits

- 1 Product Category
- 5 Manufacture
- 5 Item
- 1 check digit

$$C = (3x_1 + x_2 + 3x_3 + x_4 + \dots + 3x_{11}) \pmod{10}$$

if $C \neq 0$, $C = 10 - C$

100% single digit errors

90% transpositions

Crypto

Caesar Cipher: $A \rightarrow C$
 $B \rightarrow D$
 $C \rightarrow E$
 \vdots
 $X \rightarrow Z$
 $Y \rightarrow A$
 $Z \rightarrow B$

(Shift Cipher)

Encryption: "password" is $+2$

Decryption:

-2

Frequency Analysis

$A \rightarrow Y$
 $B \rightarrow C$
 $C \rightarrow R$
 $D \rightarrow Q$
 $E \rightarrow M$

Transposition Cipher

T	H	I	S	E	S	F	U	N
↓	↓	↓	↓	↓	↓	↓	↓	↓
H	I	T						

$1 \rightarrow 3$
 $2 \rightarrow 1$
 $3 \rightarrow 2$

$A \rightarrow Y$
 $B \rightarrow C$
 $C \rightarrow R$
 $D \rightarrow Q$
 $E \rightarrow M$

Transposition Cipher

T	H	I	S	E	S	F	U	N
H	I	T						

$1 \rightarrow 3$
 $2 \rightarrow 1$
 $3 \rightarrow 2$

Asymmetric Cipher /
public key / private key

RSA

p, q large primes

e relatively prime to $(p-1)(q-1)$

Message: M

If you know p & q , you can find a #
 d so that $de \equiv 1 \pmod{(p-1)(q-1)}$

KEY: (n, e)

Encrypt: $C = M^e \pmod{n}$
Decrypt: $C^d \pmod{n}$
 $= M$

$$n = pq$$